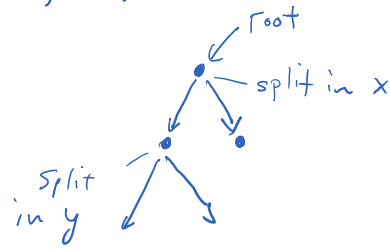
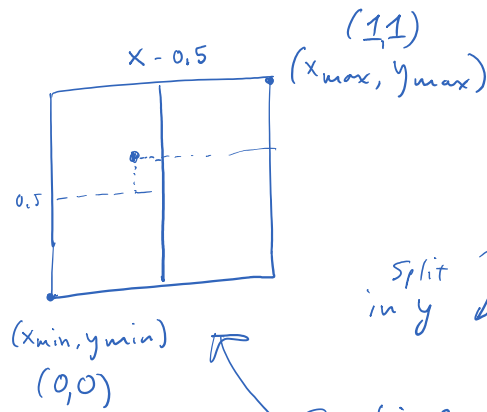


Partition

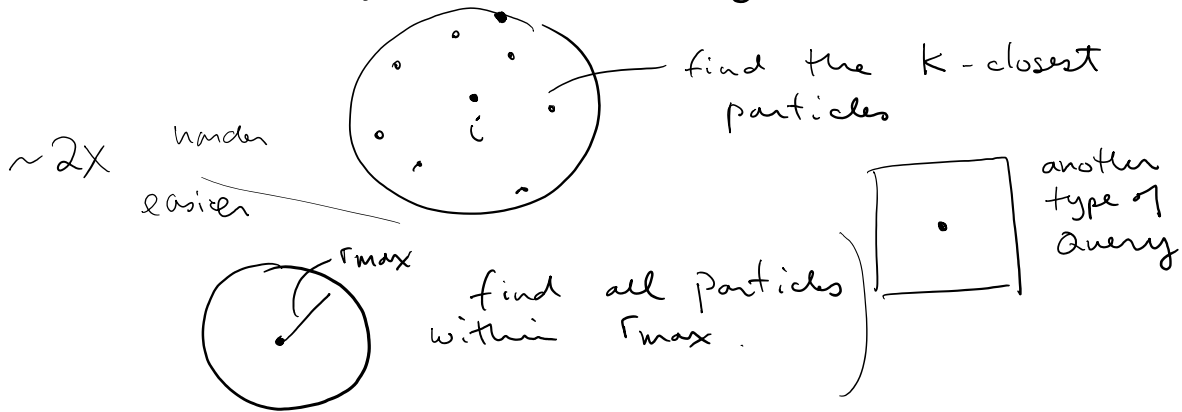


If you use the median of the $\{x, y, z\}$ values, then you get a k-D tree.

Spatial Binary Tree
every 3rd level \equiv octree (in 3D)

very fast for searching

Nearest Neighbor Searching

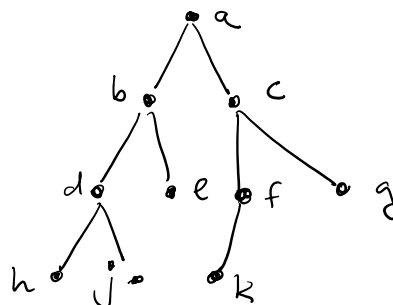


Recursion

LNR

```

lnr(p) {
    if (p != null);
    lnr(p->left);
    print(p->letter);
    lnr(p->right);
}
    
```



NLR: a b d h j e c f k g

h d j b e a k f c g

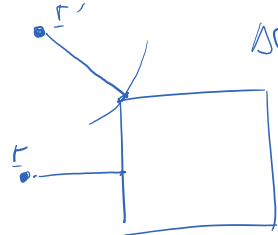
kdjbeaktcg

```

NN(p) {
  if ( ( ) ) {
    NN(p->left);
    NN(p->right);
  }
  else {
    NN(p->right);
    NN(p->left);
  }
}

```

$\text{dist}^2(r, p \rightarrow \text{left}) < \text{dist}^2(r, p \rightarrow \text{right})$



$\Delta r^2 = \Delta x^2 + \Delta y^2$
Sometimes 0 Sometimes 0

```

class bnd {
  float xmin[2];
  float xmax[2];
}

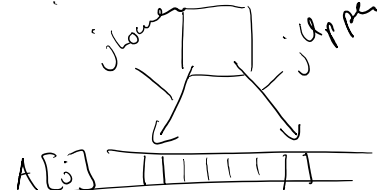
```

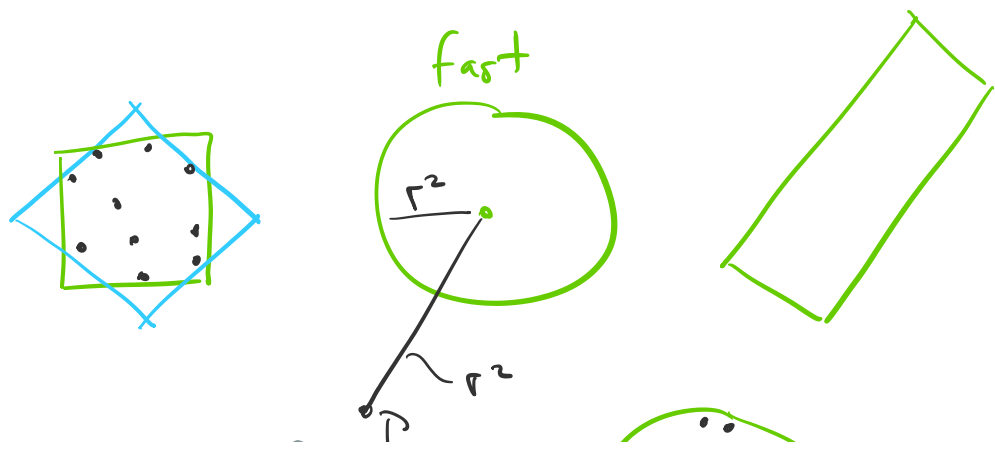
↖ dimension

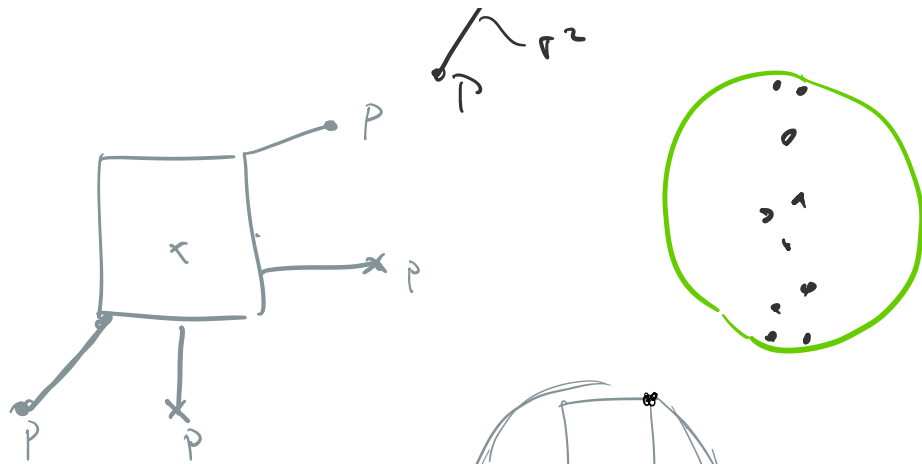
```

int BALLWALK(p, r, r2max) {
  int cnt = 0;
  if (isLeaf(p)) {
    for (j = p->jLower; j <= p->jUpper; ++j)
      if (dist2(r, A[j].r) < r2max)
        ++cnt;
  }
  else {
    if (dist2(r, p->left) < r2max) {
      cnt += BALLWALK(p->left, r, r2max);
    }
    if (dist2(r, p->right) < r2max) {
      cnt += BALLWALK(p->right, r, r2max);
    }
  }
}

```





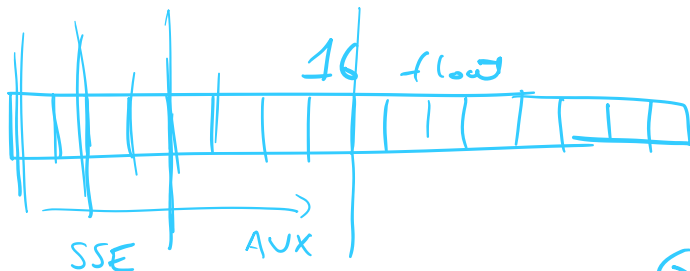


float 32

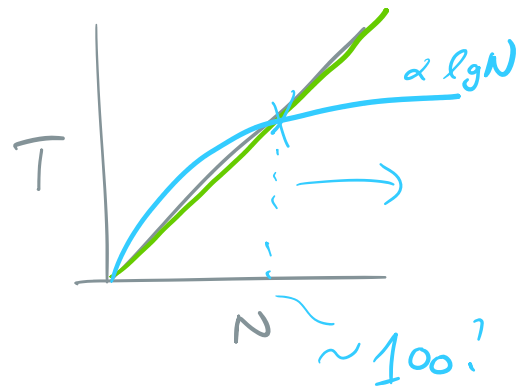
AUX
512

+

* +



GPU



32 float SM

$$r_2 = x_i * x_i + y_i * y_i + z_i * z_i$$

